

heavy atoms (large  $Z$ )

→ spin-orbit coupling for each electron becomes large

$$\boxed{\text{spin-orbit coupling of 1e}} > \boxed{\text{Coulomb energy of 2 electrons}}$$

$L, S$  are not good quantum numbers

instead:  $\vec{j}_i = \vec{l}_i + \vec{s}_i$

$$\vec{j} = \sum_{i=1}^Z \vec{j}_i$$

opt. dipole selection rules for j-j-coupling

$$\Delta j = 0, \pm 1 \quad \text{but not } j=0 \rightarrow 0$$

Optical selection rules (Dipole transitions)

$$\Delta j = 0, \pm 1 \quad \text{but NOT } j=0 \rightarrow 0$$

$$\Delta m_j = 0, \pm 1 \quad \text{but NOT } m_j = 0 \rightarrow 0 \text{ for } \Delta j = 0$$

$$\left. \begin{array}{l} \Delta S = 0 \\ \Delta L = 0, \pm 1 \\ \Delta l = \pm 1 \text{ for the electron} \end{array} \right\} \text{for the atom} \left. \vphantom{\begin{array}{l} \Delta S = 0 \\ \Delta L = 0, \pm 1 \\ \Delta l = \pm 1 \text{ for the electron} \end{array}} \right\} LS \text{ coupling}$$

$$4j = 0, \pm 1 \quad "$$

jj coupling

### Hund's rules

① Full shells  $s^2, p^6, d^{10}, \dots$   $S=0, L=0, J=0$

② lowest energy with max. multiplicity  $2S+1$

③ for a given mult., lowest energy for largest  $L$

④ outermost shell

$\frac{1}{2}$  full or less: lowest energy for minimal  $J$   
 more than  $\frac{1}{2}$  full: maximal  $J$

$2e^-$ :	$S=0$	singlett	}
	$S=1$	triplett	
$3e^-$ :	$S=\frac{1}{2}$	doublett	}
	$S=\frac{3}{2}$	quarkett	
$4e^-$ :	$S=0, 1$		}
	$S=2$	quinkett	
$5e^-$ :	$S=\frac{1}{2}, \frac{3}{2}$		}
	$S=\frac{5}{2}$	sexkett	