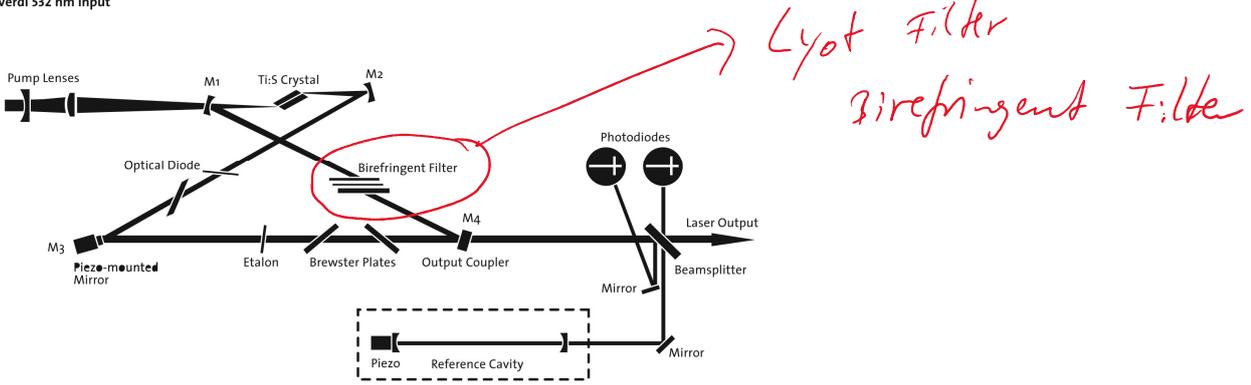


Lyot Filter

Dienstag, 16. Mai 2023 13:13

Optical Schematic of the MBR-110 Ti:Sapphire Laser

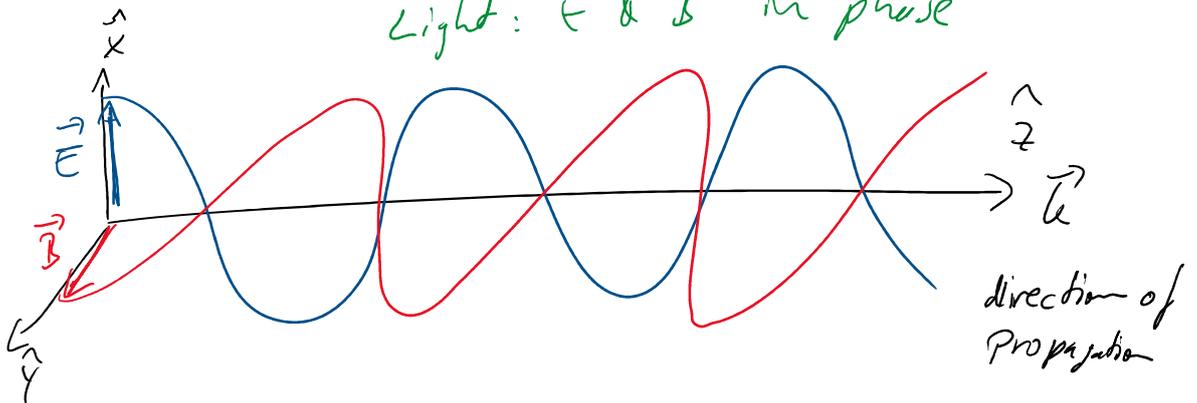
Verdi 532 nm input



Polarization states of light

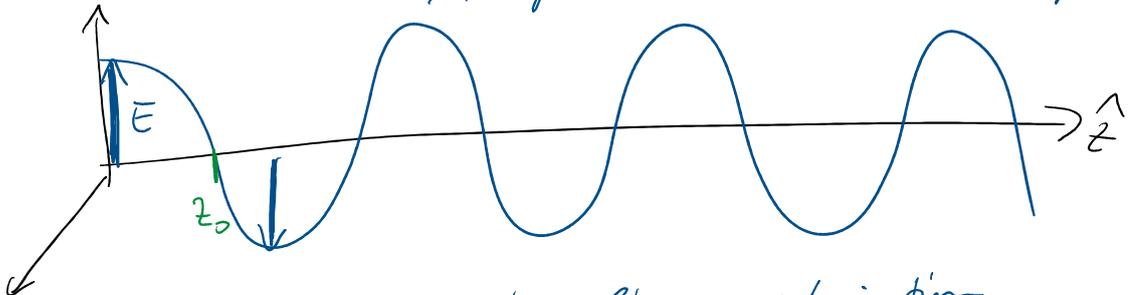
↳ \vec{E} -field component

Light: \vec{E} & \vec{B} in phase



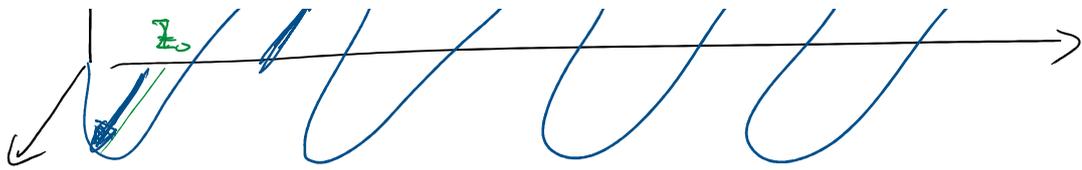
for polarization state: look only at \vec{E} field

lin. polarization \vec{E} is in 1 plane

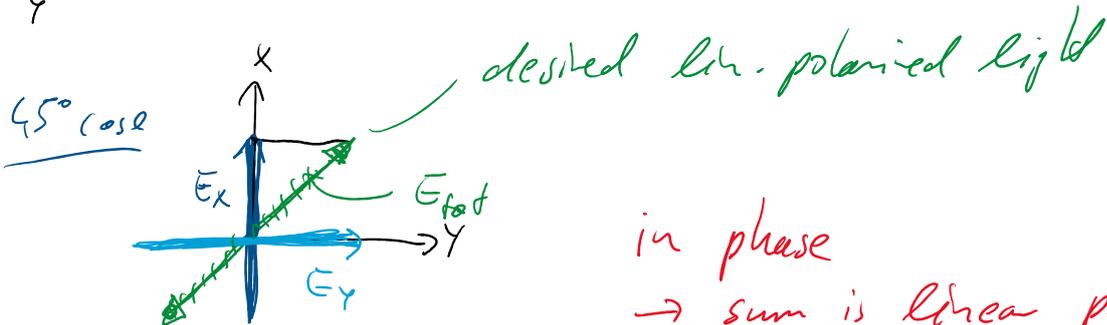
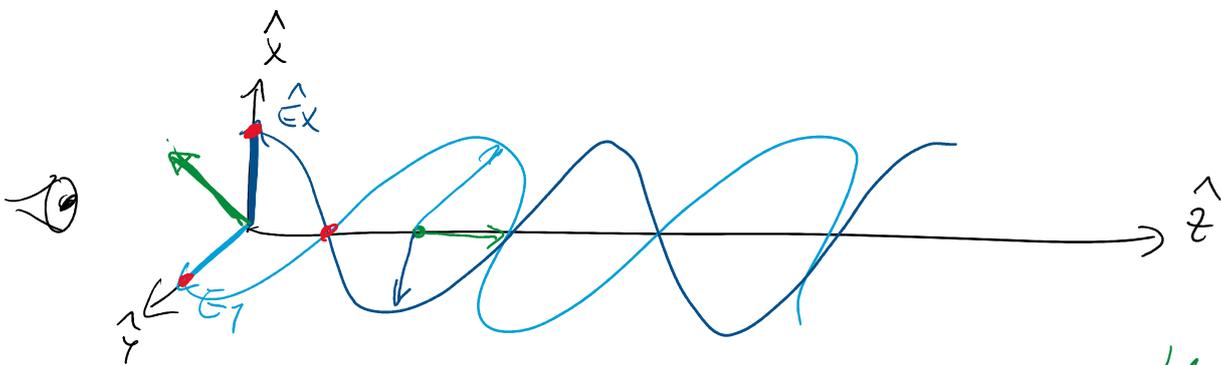


also linear polarization





any lin polarization can be constructed / separated ^{from} into 2 perpendicular lin polarization states which are in phase



in phase

→ sum is linear polarized

$$E_x(t) = E_x^0 \hat{x} \cos(\omega t - k \cdot z)$$

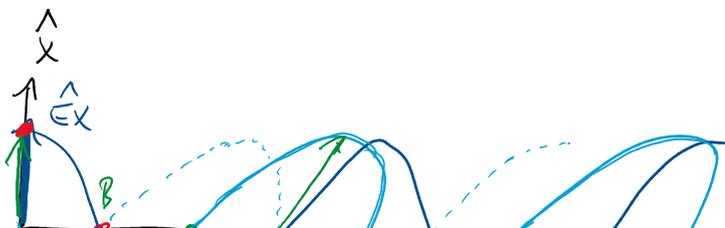
$$E_y(t) = E_y^0 \hat{y} \cos(\omega t - k \cdot z)$$

$$E_{tot} = (E_x^0 \hat{x} + E_y^0 \hat{y}) \cdot \cos(\omega t - k \cdot z)$$

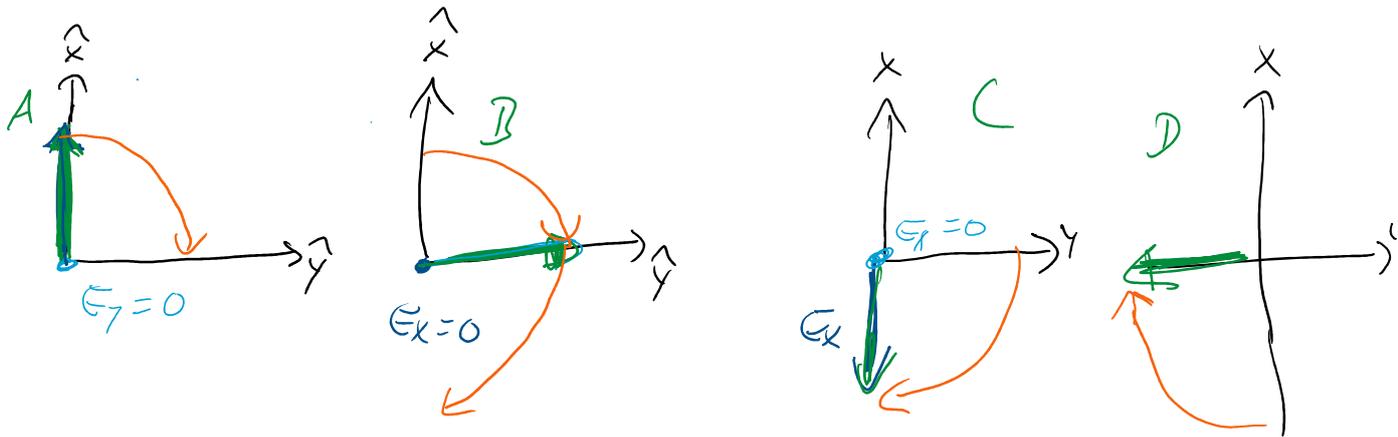
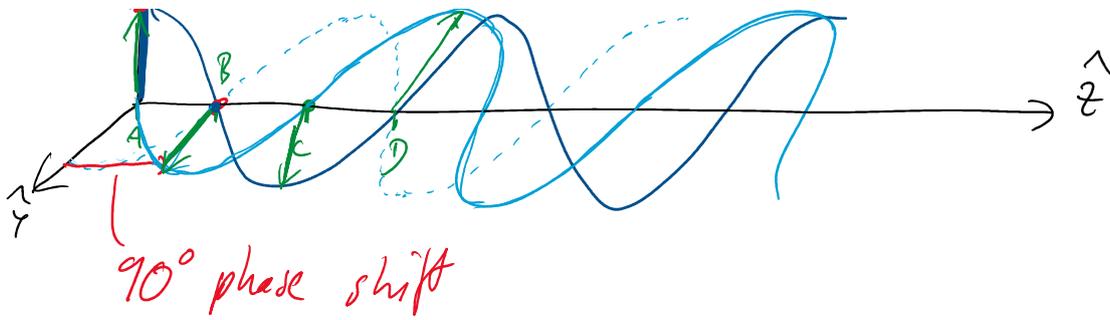
wave traveling in pos. z dir.

$E_x^0 = E_y^0 \rightarrow 45^\circ$ lin polarized light

Circular polarization: 90° phase shift



- z



$$E_x(t) = E_x^0 \hat{x} \cos(\omega t - k \cdot z)$$

$$E_y(t) = E_y^0 \hat{y} \cos\left(\omega t - k z \pm \frac{\pi}{2}\right)$$

90° phase shift

⇒ summed E field is rotating around the \hat{z} axis;

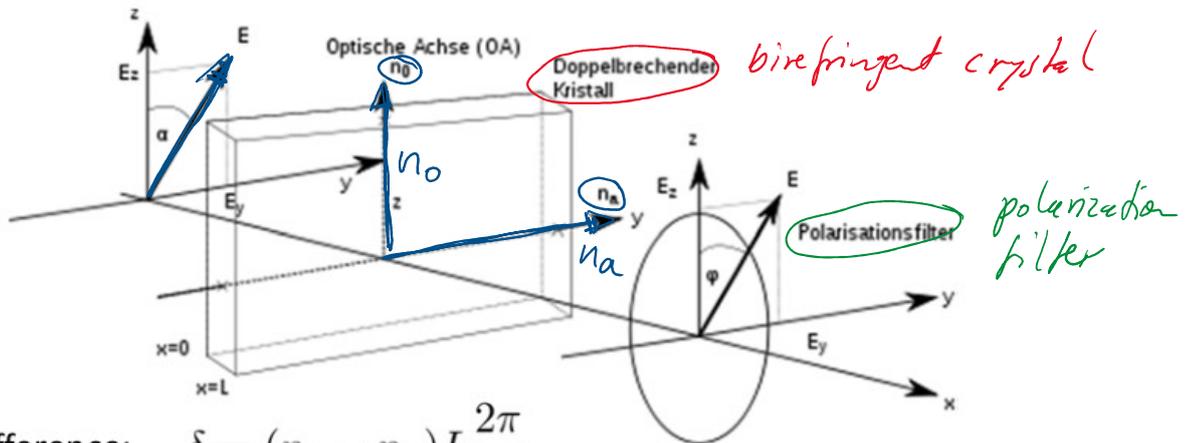
$$E_{tot} = \text{const} \quad \text{because} \quad \cos\left(\omega t - k z \pm \frac{\pi}{2}\right) = \sin(\omega t - k z)$$

$$E_{tot} = \sqrt{E_x^2 + E_y^2} \quad \cos^2 + \sin^2 = 1$$

phase $\pm \frac{\pi}{2}$ defines direction of rotation

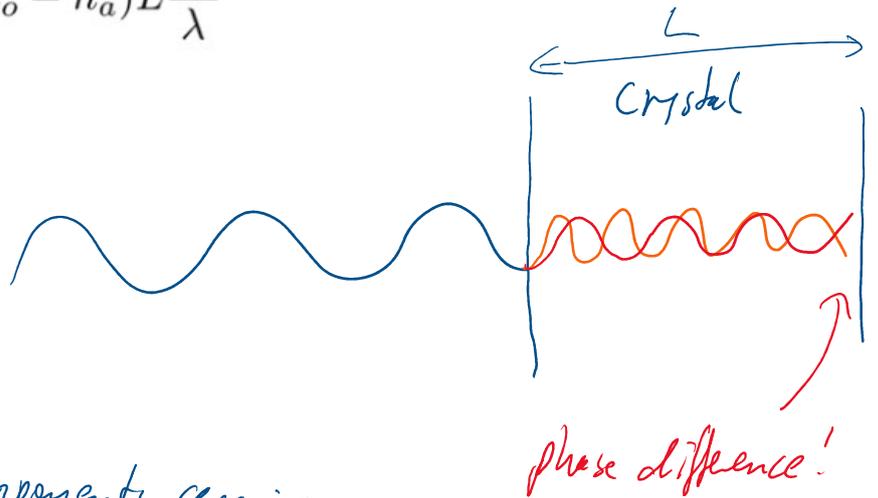
Lyot-filter uses Birefringence

↑
different refractive indices for
different optical axes



Phase difference: $\delta = (n_o - n_a)L \frac{2\pi}{\lambda}$

$$\lambda(n) = \frac{\lambda}{n}$$



Both \vec{E} field components acquire
a different phase

$$\text{Phase difference } \delta = n_o k \cdot L - n_a k L = (n_o - n_a) L \frac{2\pi}{\lambda}$$

→ rotates the polarization vector
(elliptical polarization)

Pol. filter gets rid of 1 polarization

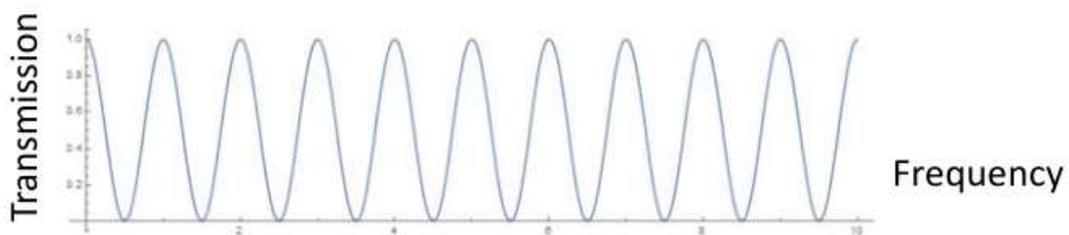
⇒ transmits only input polarization

⇒ transmits only input polarisation

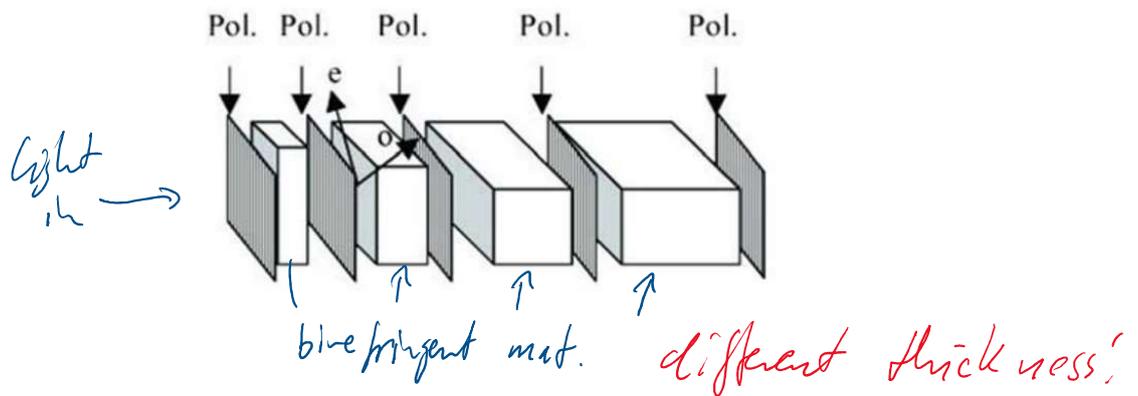
max. transmission $\delta = 2\pi \cdot m$

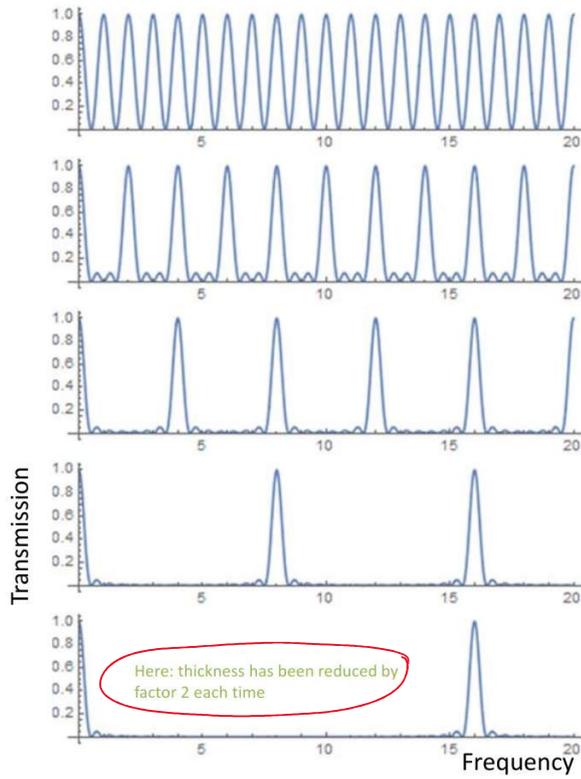
$$\Rightarrow \lambda = \frac{(n_o - n_a)L}{m} \quad m = 1, 2, 3, \dots$$

gets 100% transmission
phase = $0, 2\pi, 4\pi, \dots$



Lyot filter





1st layer transmission

2nd

4th

8th

16th peak transmitted

→ nicely frequency selective device

5x same thickness

5 layers, each $L = \text{doubled}$

